Comparison of Linear and Non-linear Models for Coconut Yield Prediction in Coimbatore Using Weather Parameters and External Factors

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Authors' contributions

This work was carried out in collaboration among all authors. All authors read and approved the final manuscript.

Original Research Article

ABSTRACT

Coconut is the world's most significant plantation crop, and it is grown in practically every country. As Coimbatore is the leading producer of coconut in Tamil Nadu, followed by Thanjavur and Kanyakumari, this study is centred on the Coimbatore area. West Coast Tall is a popular cultivar that produces more than other types. The West Coast Tall (WCT) cultivar was used in this research. In this paper, four models were developed such as Ridge, Least Absolute Shrinkage Selection Operator (LASSO), Elastic net (ELNET) regression methods and Artificial Neural Networks (ANN). Further, we validate this model using field-level data from TNAU coconut research farm for two years. The purpose of this communication is to find the best fit model for prediction of coconut yield using weather parameters and external factors in Coimbatore district. The models were selected based on different performance metrics such as RMSE, MAPE, MAE, and R^2. Among the four models developed in the study, the ELNET model is found to be best model for prediction of coconut yield based on weather and external factors for the available data in the studied region.

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1. INTRODUCTION

Coconut (*Cocos nucifera L.*), an important perennial oil-producing crop of the humid tropics, is widely grown in countries. Coconut is the world's most prolific crop, and India has the largest area under coconut. Most of India's coconut area and production are in four southern states, namely Kerala, Tamil Nadu, Karnataka and Andhra Pradesh (C. Palaniswami et al., 2008). The coconut tree is renowned as the "Tree of Heaven" because every portion of the coconut palm may be utilised in some way. The coconut fruit and flowers are produced throughout the year, making it unique among plantation crops [1,2]. The development of a coconut fruit takes approximately 44 months from the onset of inflorescence primordium to full maturity (Rajagopal et al., 1996). Crop yield is affected by both genotype and environment. Among the environmental variables, weather has a significant impact on crop output potential. Though, a number of regression models based on weather parameters have been used to predict coconut yield [3,4] (Mahesha et al., 1992), but comparison of multiple statistical models has received very much less attention. Multiple linear regression (MLR), on the other hand, is appropriate for smaller datasets, but its application is limited when the number of predictors exceeds the number of samples [5]. MLR results in overfitting of data when the number of samples is less than the number of predictors and presence of multicollinearity (Verma et al., 2016). To overcome this, variable selection and use of penalized regression methods such as SMLR, Ridge, LASSO, ELNET regression and advanced regression models is recommended for developing yield prediction model. As part of their study, Jayashree et al. [6] examined six models for coconut yield prediction, including multilayer perceptron, support vector machine, decision tree, Naive Bayes, data-driven nonlinear Hebbian, and fuzzy cognitive map as a combination of soil and weather variables. Bapak Das et al., [7] have predicted yield of coconut using only weather indices and compared different multivariate techniques and the study revealed that the elastic net regression method had been more accurate for predicting coconut yield. According to our literature survey, no model had been reported by using both weather parameters and external factors for coconut yield predictions [8,9]. In this paper, both weather parameters and external factors are taken into account to achieve prediction accuracy. The objective of this study intends to find the best fit model for prediction of coconut yield in Coimbatore district.

2. MATERIALS AND METHODOLOGY

2.1 Study Area and Data Source

The daily weather parameters were collected in Agro-Climatic Research Centre, Tamil Nadu Agricultural University, Coimbatore. The daily weather data are taken on an average to form year wise weather data. The weather parameters like Minimum Temperature, Relative humidity and Rainfall were purposively used in the study. The external factors were collected year wise from Coconut Research Station, Aliyar for the years (2010 - 2016). The primary data for validation had been collected from Coconut Farm, Tamil Nadu Agricultural University for two years (2021 and 2022). The external factors such as Plant height, Stem girth, Leaf length, Female flowers in inflorescence and copra content was employed in this study to make the prediction model more reliable.

2.2 Methodology

2.2.1 Ridge regression

Ridge regression reduces the magnitude of the regression coefficients by imposing a penalty on their size. The ridge coefficients minimize a penalized residual sum of squares,

$$\hat{\beta}\,(Ridge) = \,arg\,min_\beta\,\|y - X\beta\|^2 + \,\lambda\|\beta\|^2$$

Here λ ≥ 0 is a complexity parameter that controls the amount of shrinkage: the larger the value of λ, the greater the amount of shrinkage. When there are many correlated variables in a linear regression model, their coefficients can become poorly determined and exhibit high variance (Trevor Hastie et al. 2008, Textbook on Elements of Statistical learning).

2.2.2 LASSO regression

"LASSO" is an acronym that stands for Least Absolute Shrinkage and Selection Operator. In this method, the regression coefficients are reduced towards zero by penalizing the regression model with the penalty, which sums

the absolute coefficients. With Lasso regression, the penalty results in some coefficient estimates being exactly equal to zero, with a minor contribution to the model [10]. Compared with ridge regression, lasso regression produces simpler and more interpretable models that incorporate fewer predictors.

$$\hat{\beta}\ (Lasso) = \ arg\ min_\beta\ \|y - X\beta\|^2 + \ \lambda\|\beta\|$$

where, $\|\beta\| = \sum_{j=1}^{p}|\beta_j|$ and λ is penalty on β. The LASSO shrinks some parameters to zero for suitable lambda.

2.2.3 ELNET regression

ELNET regression stands for elastic net regression which is the combination of penalties from both LASSO and ridge regression [11] which makes the regularization of statistical model better. The L1 part of the penalty produces a sparse model during the regularisation operation. The quadratic component of the penalty (L2), on the other hand, makes the L1 part more stable on the route to regularisation, eliminates the quantity limit of variables to be chosen, and promotes the grouping effect. Therefore, it minimizes the impact of different features while not eliminating all of them [12].

$$\hat{\beta}(Enet) = \left(1 + \frac{\lambda_2}{n}\right)\left\{arg\ min_\beta\ \|y - X\beta\|^2 + \lambda_1\|\beta\| + \ \lambda_2\|\beta\|^2\right\}$$

where, λ_1 and λ_2 are LASSO and ridge regression penalities.

Lambda must be optimized in each of the three methods listed above, A cross-validation with leave-one-out was used to select the lambda values that minimized the average mean squared error [13]. The overall strength of the penalty is controlled by tuning parameter λ [14]. Analysis of the data was performed using the R package 'glmnet' [15].

2.2.4 Artificial neural network

A neural network is a massively parallel network of interconnected simple processors (neurons) in which neuron accept a set of inputs from other neurons and computes an output that is propagated to the output nodes. Thus, a neural network can be described in terms of individual neurons, the network connectivity, the wights associated with the interconnections with

neurons, and the activation function of neuron. The neuron receives a set of n inputs, x_i, $i = 1,2,\dots,n$, from its neighbouring neurons and a bias which is equals to 1. Each input has a weight (w_i) associated with it. The weighted sum of the inputs determines the state or activity of a neuron and is given by

$$a = \sum_{i=1}^{n+1} w_i x_i = \ W^T X$$

Where, $X = \{x_1\ x_2 \dots x_n\ 1\}^T$. The output of the neuron is commonly described by a sigmoid function as

$$f(a) = \frac{1}{1 + e^{-a}}$$

The schematic diagram of single artificial neural network is as follows:

In artificial neural network, three separate functional processes take place. The product Xw is created by multiplying input X by weight w. Next, the net input (Xw+b) is then formed by adding bias to weighted input. In this case, the function is shifted by a factor of b because of the bias. In the end, the net input is fed into an activation function that generates the output Y.

2.3 Model Performance Metrices

The performance of the statistical models was evaluated using coefficient of determination (R^2), Root mean squared error (RMSE), mean absolute percentage error (MAPE), and Mean absolute error (MAE) by following formulas:

$$R^2 = 1 - \frac{\sum_{j=1}^{n}(Y_j - \hat{Y}_j)^2}{\sum_{j=1}^{n}(Y_j - \bar{Y}_j)^2}$$

$$RMSE = \sqrt{\frac{\sum_{j=1}^{n}(Y_j - \hat{Y}_j)^2}{n}}$$

$$MAPE = \frac{1}{n}\sum_{j=1}^{n}\left|\frac{Y_j - \hat{Y}_j}{Y_j}\right| *100$$

$$MAE = \frac{\sum_{j=1}^{n}|Y_j - \hat{Y}_j|}{n}$$

where, Y_j – Actual yield, $\hat{Y}_j$ – Model yield respectively, n-number of years.

The coefficient of determination (R^2) and RMSE approaches 0 and also the lesser MAPE and MAE values indicates that the statistical model is the best model for prediction.
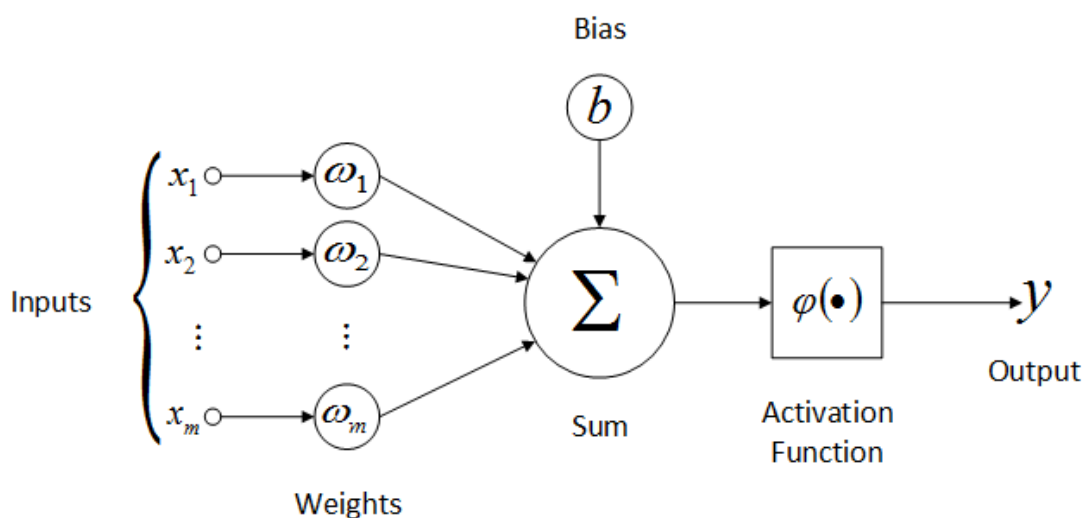
Fig. 1. Schematic diagram of ANN

3. RESULTS AND DISCUSSION

3.1 Statistical Analysis

The intercept and coefficients of various predicted models are shown in the Table 1. All the fitted models in the table revealed that the variables relative humidity, average rainfall, leaf length and copra content had positive contribution according to yield and the variables such as minimum temperature, plant height, stem girth and female flower were negatively related to yield.

Figs. 2-5 shows the graphical representation of observed yield and predicted yield of Ridge, LASSO, ELNET and ANN respectively. In Fig. 2, the predicted yield is far away from the observed yield during all the time which leads us to conclude that ridge regression is not suitable for predicting coconut yield in Coimbatore district. Among the figures the ELNET model (Fig. 4) predicted yield is very much closer to observed

yield than the other prediction models. So that, the ELNET model is selected as the best model for predicting coconut yield.

3.2 Artificial Neural Network

The number of neurons in each layer and the hidden layers in a particular problem was the major factor in constructing the neural network. So, it is most important to select the optimum number of hidden layers in a neural network. In R software, we used 'caret' package to tune the number of hidden layers. RMSE was used as a performance evaluator to find the optimal connection weights for neural network training. The diagrammatic representation of Artificial Neural Network was given by Fig. 6. The number of hidden layers must be less than the input layer so 7 hidden layers were tried to train the model. The results showed that the model with 3 hidden layers fits very well with an accuracy of 0.92 and low RMSE value so that the model with three hidden layers were selected.

Table 1. Intercept and coefficients of different fitted models

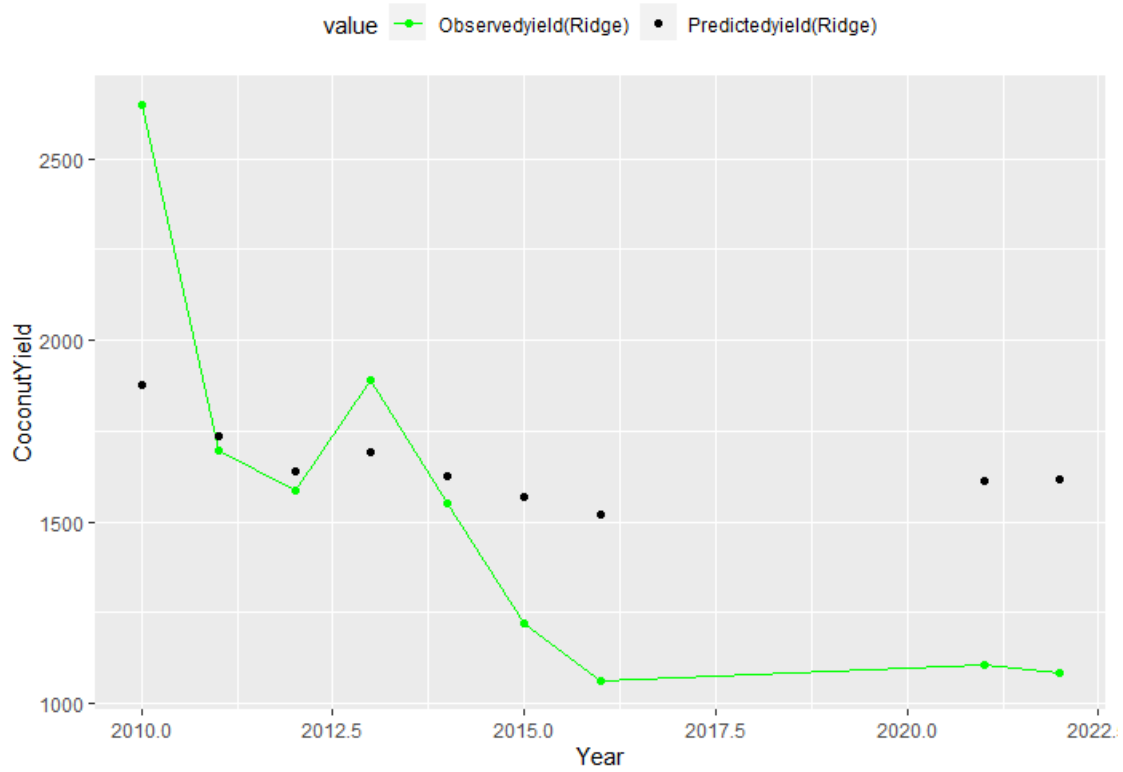|	Ridge	LASSO	ELNET
Intercept	1115.0753	609.5997	1913.9497
Minimum Temperature	-28.5280	0.2371	0.4741
Relative Humidity	12.5400	1.3780	1.6911
Average Rainfall	0.6308	0.0154	0.1429
Plant height	-0.2195	-1.2270	-1.3083
Stem girth	-4.2695	-10.1670	-26.7849
Leaf length	0.9958	4.9749	4.7098
Female flower	-1.8312	-0.0038	-6.0430
Copra content	1.3102	3.4187	6.9698

Fig. 2. Visualization of observed and predicted yield by ridge regression
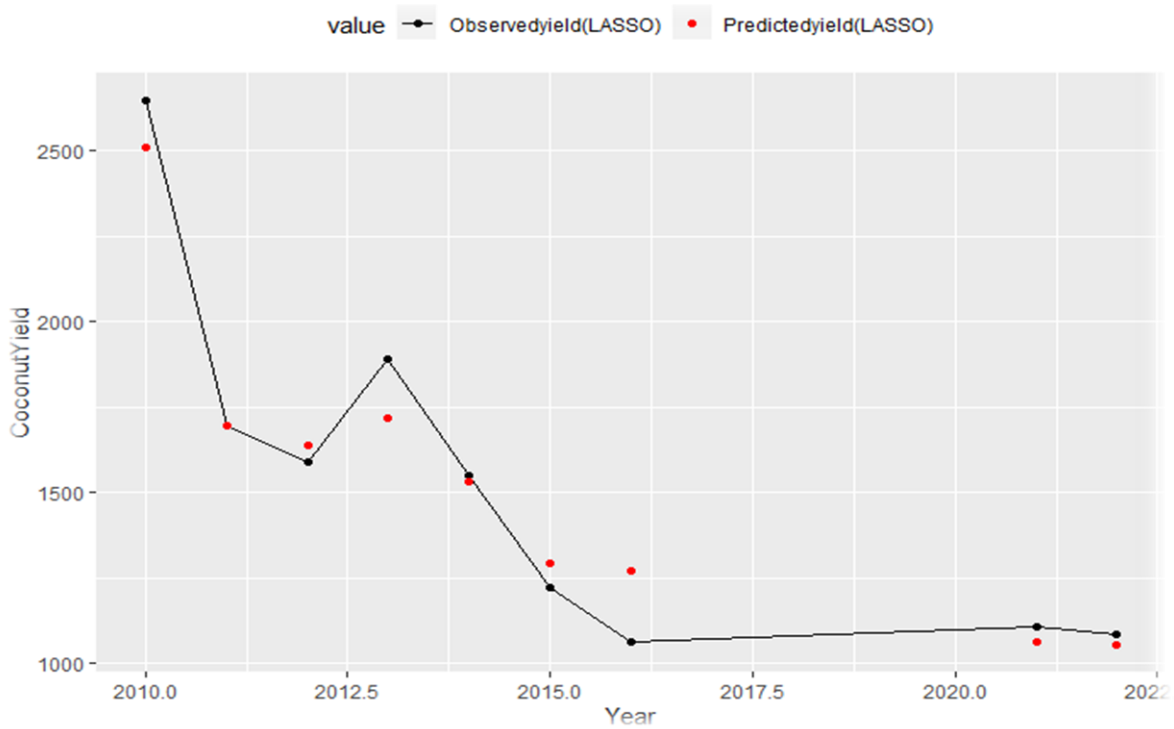

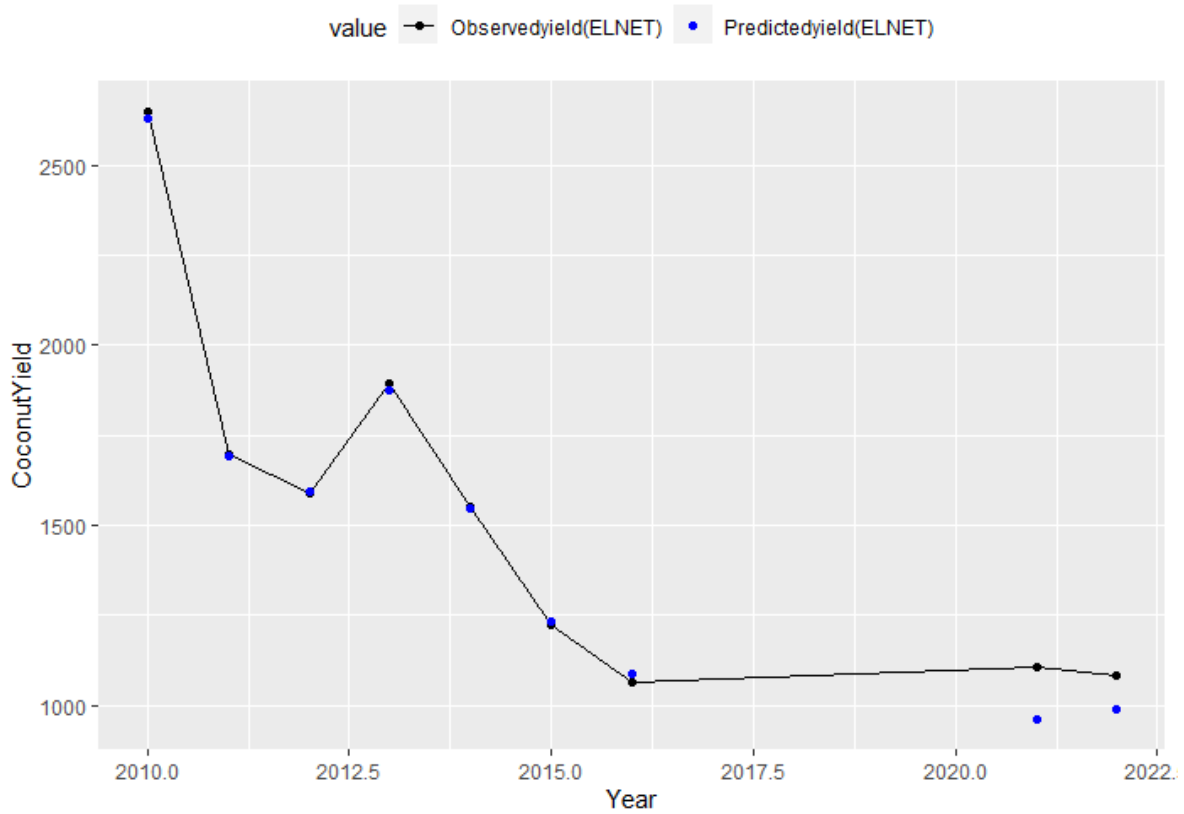**Fig. 3. Visualization of observed and predicted yield by LASSO regression**

Fig. 4. Visualization of observed and predicted yield by ELNET regression
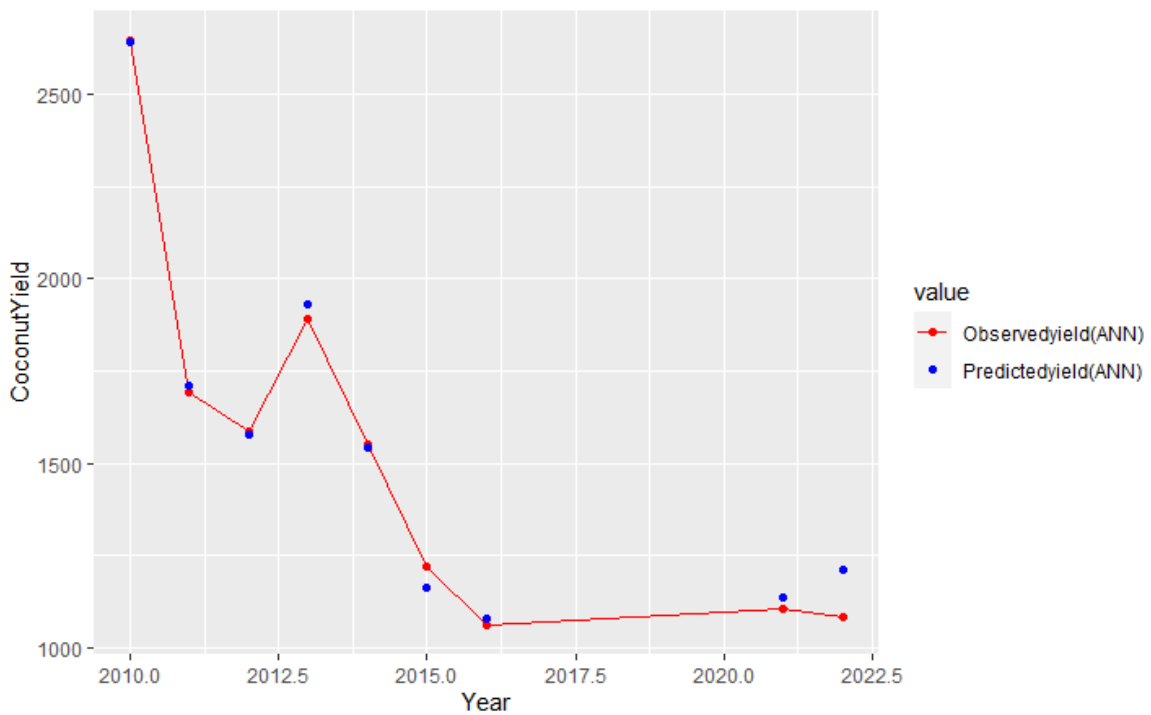

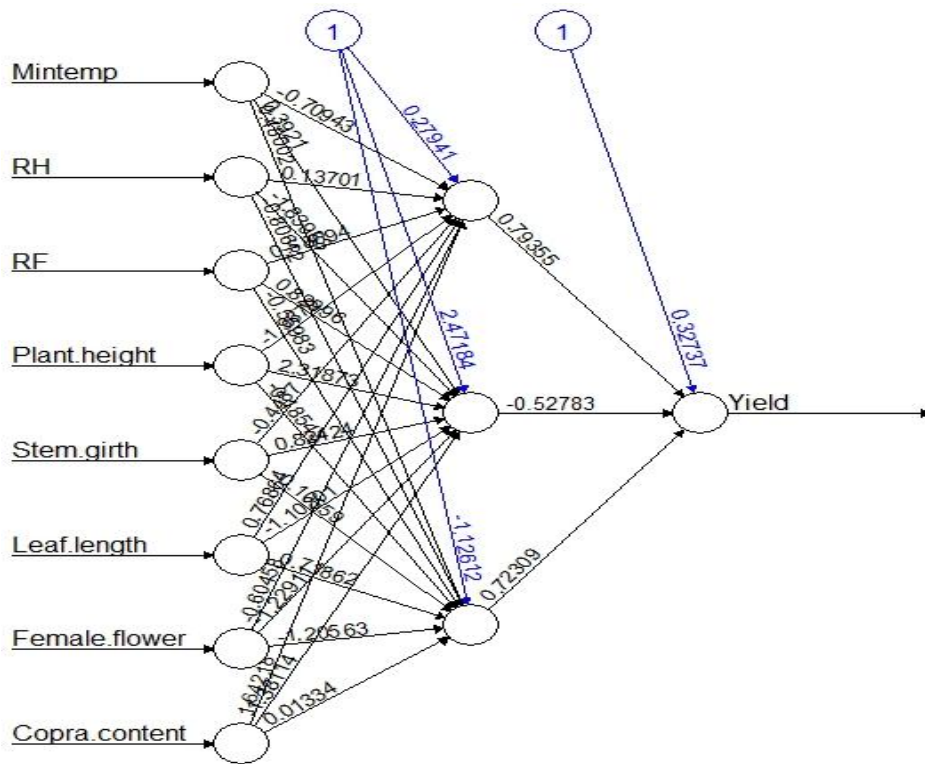**Fig. 5. Visualization of observed and predicted yield by ANN**

Fig. 6. Graphical representation of ANN

Table 2. Performance metrics for various models

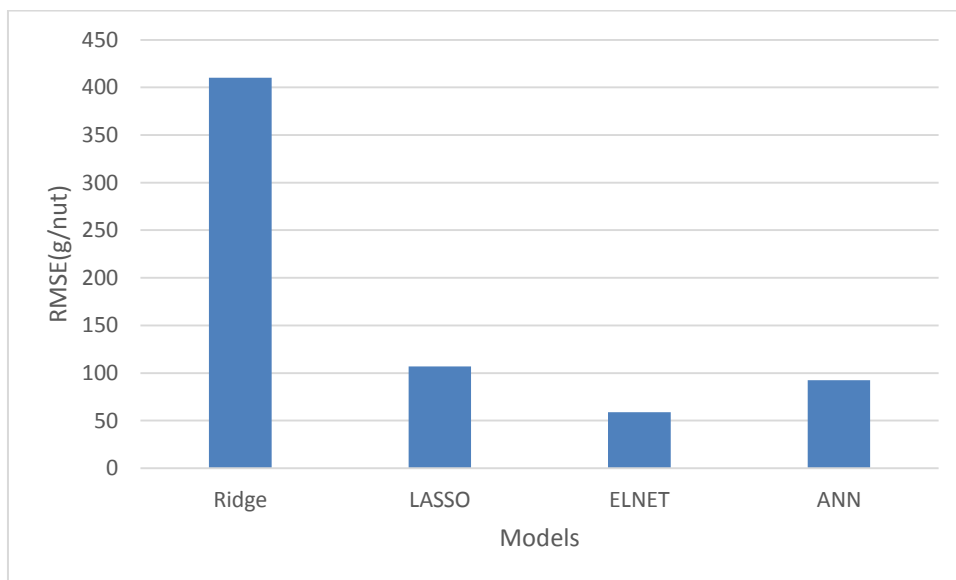| Models	RMSE	R^2	MAPE	MAE
Ridge	410.3293	0.8614	24.09	331.6014
LASSO	106.8821	0.9627	5.66	81.6873
ELNET	58.9887	0.9898	3.04	35.8974
ANN	92.5574	0.9268	7.31	79.63

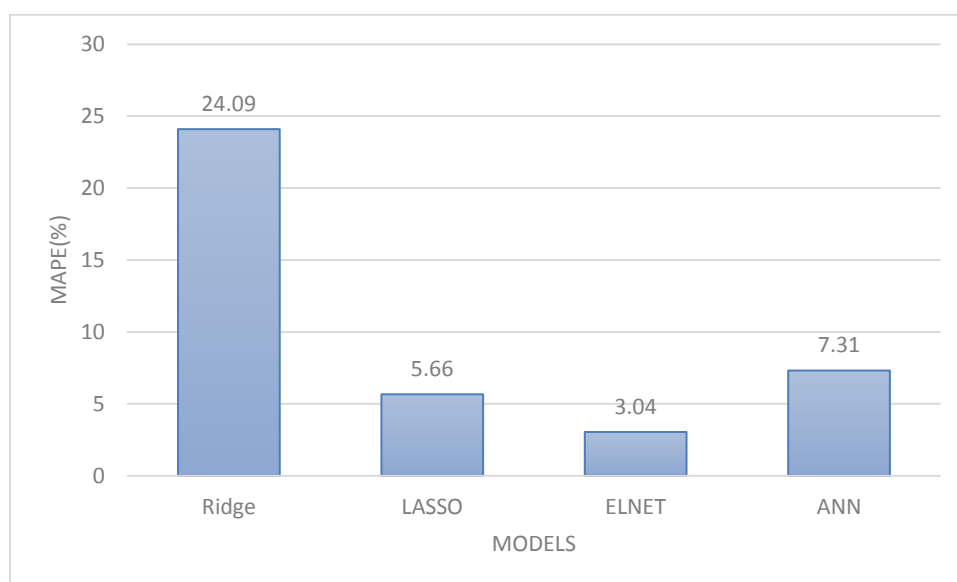**Fig. 7. Comparison of different models using R-squared**

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Fig. 8. Comparison of different models using Mean absolute percentage error

3.3 Intercomparison of Models

The models were compared using different performance metrics. The coefficient of determination (R^2) is high for ELNET model (0.989) followed by LASSO (0.962) and ANN (0.926). The RMSE, MAPE and MAE values was found to be least in ELNET which is 58.98, 3.04% and 35.89 followed by ELNET and LASSO. Figs. 7 and 8 were used to compare the model based on R^2 and mean absolute percentage error which clearly confirms that the model MLR is the best fit model.

4. CONCLUSION

In this paper, five different methods were employed in predicting the coconut yield and the models were compared and ranked by different goodness of fit measures. The study revealed that the model from ELNET was found to be the best fit model for the available data for coconut yield prediction. So, ELNET model is recommended for prediction of coconut yield for future perspectives. It would be useful to the policy makers to formulate strategies for coconut cultivation. The farmers might also able to plan the post-harvest processing of coconut prior to harvest using the developed yield prediction models.

COMPETING INTERESTS

Authors have declared that no competing interests exist.

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APPENDIX: R code for ANN

```
set.seed(132)
data<-data.frame(data)
train_id<-data[1:7,]
test_id<-data[8:9,]
max = apply(data , 2 , max)
min = apply(data, 2 , min)
scaled = as.data.frame(scale(data, center = min, scale = max - min))
trainNN = scaled[1:7,]
testNN = scaled[8:9 , ]
library(neuralnet)
n<-neuralnet(Yield~.,data = trainNN,hidden=3,linear.output = TRUE)
n$result.matrix
plot(n)
predict_testNN1 = compute(n, testNN[,-1])
predict_testNN1
predict_testNN   =   (predict_testNN1$net.result   *   (max(data$Yield)   -   min(data$Yield)))   +
min(data$Yield)
predict_testNN
plot(test_id$Yield, predict_testNN, col='blue', pch=16, ylab = " Predicted", xlab = "Actual")
abline(0,1)
RMSE.NN = (sum((test_id$Yield - predict_testNN)^2) / nrow(testNN)) ^ 0.5
RMSE.NN
predicted=predict_testNN
predicted
actual=test_id$Yield
comparison=data.frame(predicted,actual)
deviation=((actual-predicted)/actual)
comparison=data.frame(predicted,actual,deviation)
comparison
accuracy=1-abs(mean(deviation))
accuracy
library(Metrics)
mae(actual,predicted)
mape(actual,predicted)
rmse(actual, predicted)
```